

MR3601848 45G10 45D05 47H30

Anichini, G. [[Anichini, Giuseppe](#)] (I-FRNZ-MCS);

Conti, G. [[Conti, Giuseppe](#)] (I-FRNZ-MCS)

On the existence of solutions for quadratic integral equations on unbounded intervals for quasibounded maps. (English summary)

Rend. Semin. Mat. Univ. Politec. Torino **72** (2014), no. 3-4, 151–160.

The authors study the solvability of a nonlinear quadratic integral equation

$$x(t) = f(t) + (Ax)(t) \int_{t_0}^t k(t, s)F(s, x(s))ds, \quad t \in J = [0, +\infty),$$

in the Fréchet space $C(J, \mathbb{R})$, where $A: C(J, \mathbb{R}) \rightarrow C(J, \mathbb{R})$ is a continuous operator such that

$$|A(x)(t)| \leq a|x(t)|, \quad t \in J,$$

and its restrictions to $(C([0, n], \mathbb{R}), \|\cdot\|_n)$ satisfy the Darbo property with a positive constant k_n .

Under suitable conditions, using a fixed point result for condensing acyclic multivalued operators, they prove the existence of a solution in $C(J, \mathbb{R})$. An illustrative example is also given. *Marcel-Adrian Şerban*